

# Main Topics, Timelines, and Speakers

We will be starting with section 2 of Shachar et al.'s paper on Ambidexterity and Height<sup>[1]</sup>, before moving into the initial main reference, which will be the first part of Bastiaan Crossen's thesis<sup>[2]</sup>, with other references/possible directions being Hilman, Kirstein, and Kremer's generalization of twisted ambidexterity in<sup>[3]</sup>, as well as applications of ordinary ambidexterity to chromatic homotopy theory in<sup>[4]</sup>. Depending on interest we could also look into the related notions of higher semi-additivity appearing in<sup>[5]</sup> and<sup>[6]</sup>.

## Timeline

- September 15th: Sections 2.1-2.2 of<sup>[1-1]</sup> (Ea/E)
- September 22nd: TBD
- September 29th: TBD
- October 6th: TBD
- October 13th: TBD
- October 20th: TBD
- October 27th: TBD
- November 3rd: TBD
- November 10th: TBD
- November 17th: TBD
- November 24th: TBD
- December 1st: TBD
- December 8th: TBD

## Group's Interests from First Meeting

- Parameterized equivariant things
- Elliptic cohomology connections (might use some of the chromatic applications)

## Overview of Sections in Bastiaan's Thesis

### Twisted Ambidexterity in Equivariant Homotopy

- Parameterized  $\infty$ -categories (Supplement with details from<sup>[7]</sup>, <sup>[8]</sup>, <sup>[9]</sup>, and<sup>[10]</sup> as desired)
  - Brief Overview
  - $\mathcal{C}$ -linear functors

- Formal inversions
- Twisted Ambidexterity (Supplement with [3-1] for generalizations to non-presentable  $\infty$ -categories and applications to Poincare duality)
  - Twisted Norm Map
  - Relation to Parameterized Semiadditivity and Classical Ambidexterity
  - Costenoble-Waner Duality
- Equivariant Homotopy
  - Parameterized genuine  $G$ -spectra
  - Twisted Ambidexterity for "..."
  - Orbispectra
  - Proper Equivariant Homotopy Theory

## Relative Poincare Duality for Differentiable Stacks

- Foundations on Differentiable Stacks
- Geometry of Differentiable Stacks
- Genuine Sheaves
- Localization Sequences
- Relative Poincare Duality

## Appendix

- Symmetric Monoidal Un/straightening (Refs [11], [12])
- Duality in Equivariant Stable Homotopy Theory
- Smooth Manifolds
- Lie groupoids
- Recollections on  $\infty$ -topoi
- Calculus of Mates

## References

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1. Carmeli, Shachar, Tomer M. Schlank, and Lior Yanovski. “Ambidexterity and Height.” arXiv:2007.13089. Preprint, arXiv, September 25, 2020. <https://doi.org/10.48550/arXiv.2007.13089>. ↪ ↩
2. Bastiaan Cnossen: Twisted ambidexterity in equivariant homotopy theory: Two approaches, <https://hdl.handle.net/20.500.11811/11281>, (2024) ↪
3. Hilman, K., Kirstein, D., Kremer, C.: Parametrised Poincaré duality and equivariant fixed points methods, <http://arxiv.org/abs/2405.17641>, (2024) ↪ ↩

4. Carmeli, Shachar, Tomer M. Schlank, and Lior Yanovski. "Ambidexterity in Chromatic Homotopy Theory." arXiv:1811.02057. Preprint, arXiv, September 16, 2020. <https://doi.org/10.48550/arXiv.1811.02057>. ↵
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6. Harpaz, Yonatan. "Ambidexterity and the Universality of Finite Spans." *Proceedings of the London Mathematical Society* 121, no. 5 (2020): 1121–70. <https://doi.org/10.1112/plms.12367>. ↵
7. Martini, L.: Yoneda's lemma for internal higher categories, <http://arxiv.org/abs/2103.17141>, (2022) ↵
8. Martini, L., Wolf, S.: Colimits and cocompletions in internal higher category theory, <http://arxiv.org/abs/2111.14495>, (2024) ↵
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12. Lurie, J.: Higher Algebra. (2017) ↵